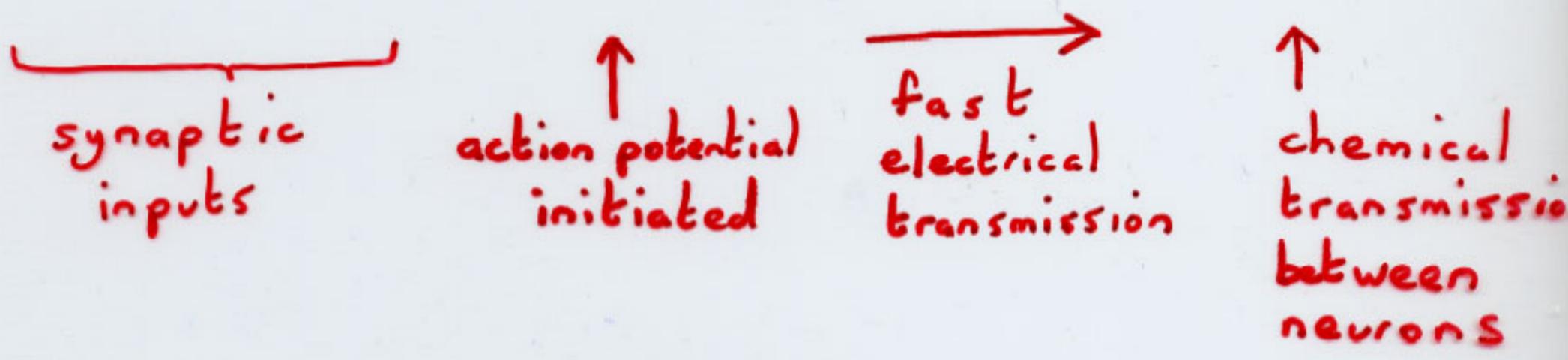
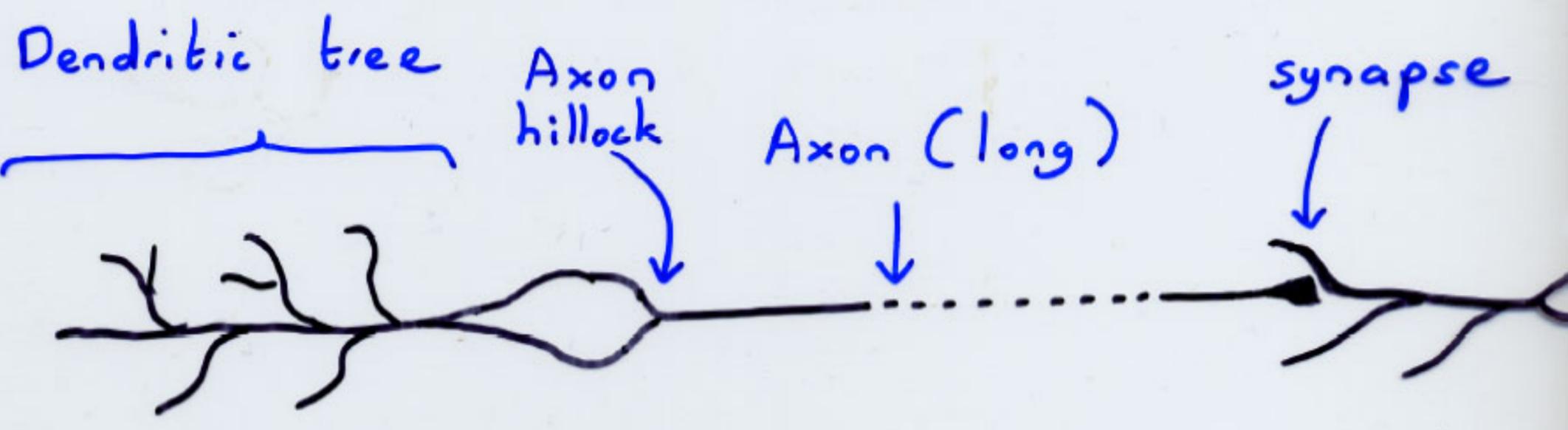


# Neuronal Structure and Signaling

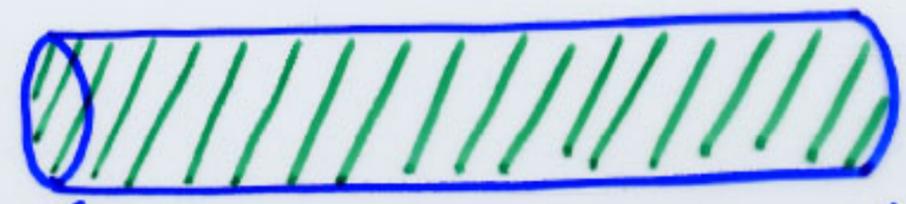


To a limited extent a nerve axon works like an electric cable

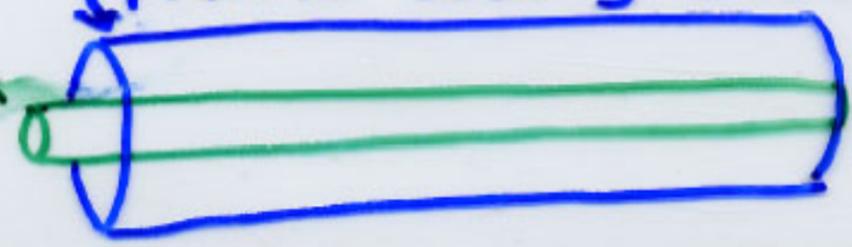
## Axon

axoplasm (fluid in axon) conducts electricity like copper wire

## Electric wire

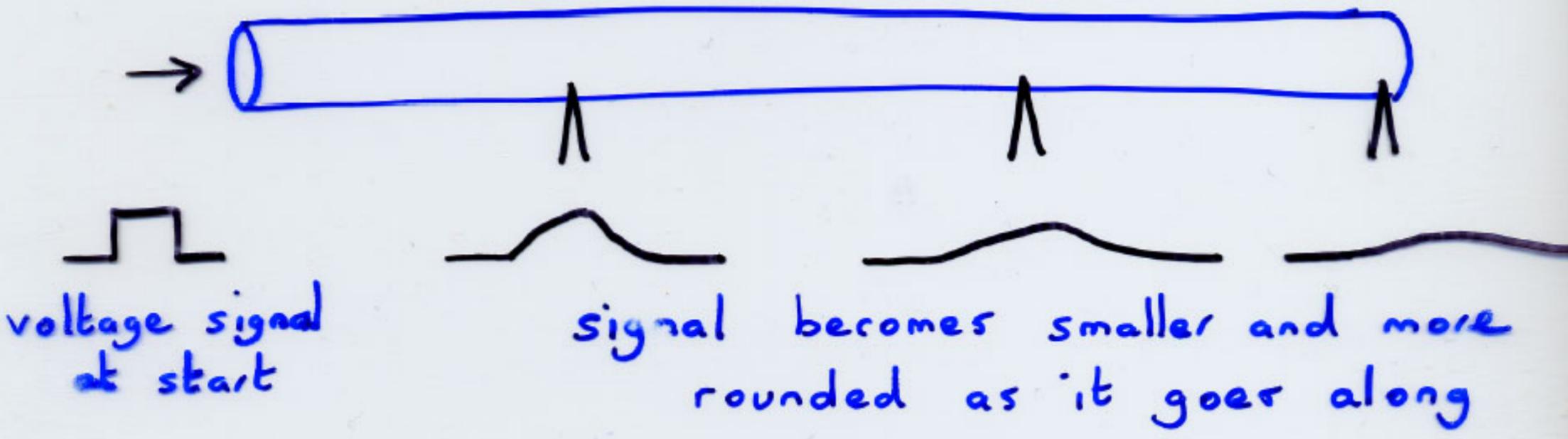


axon membrane insulates like plastic coating around wire



But:

Axon may be very thin (a few  $\mu\text{m}$ ) and long ( $>1\text{m}$ ), and passive electrical signals decay within a few mm.

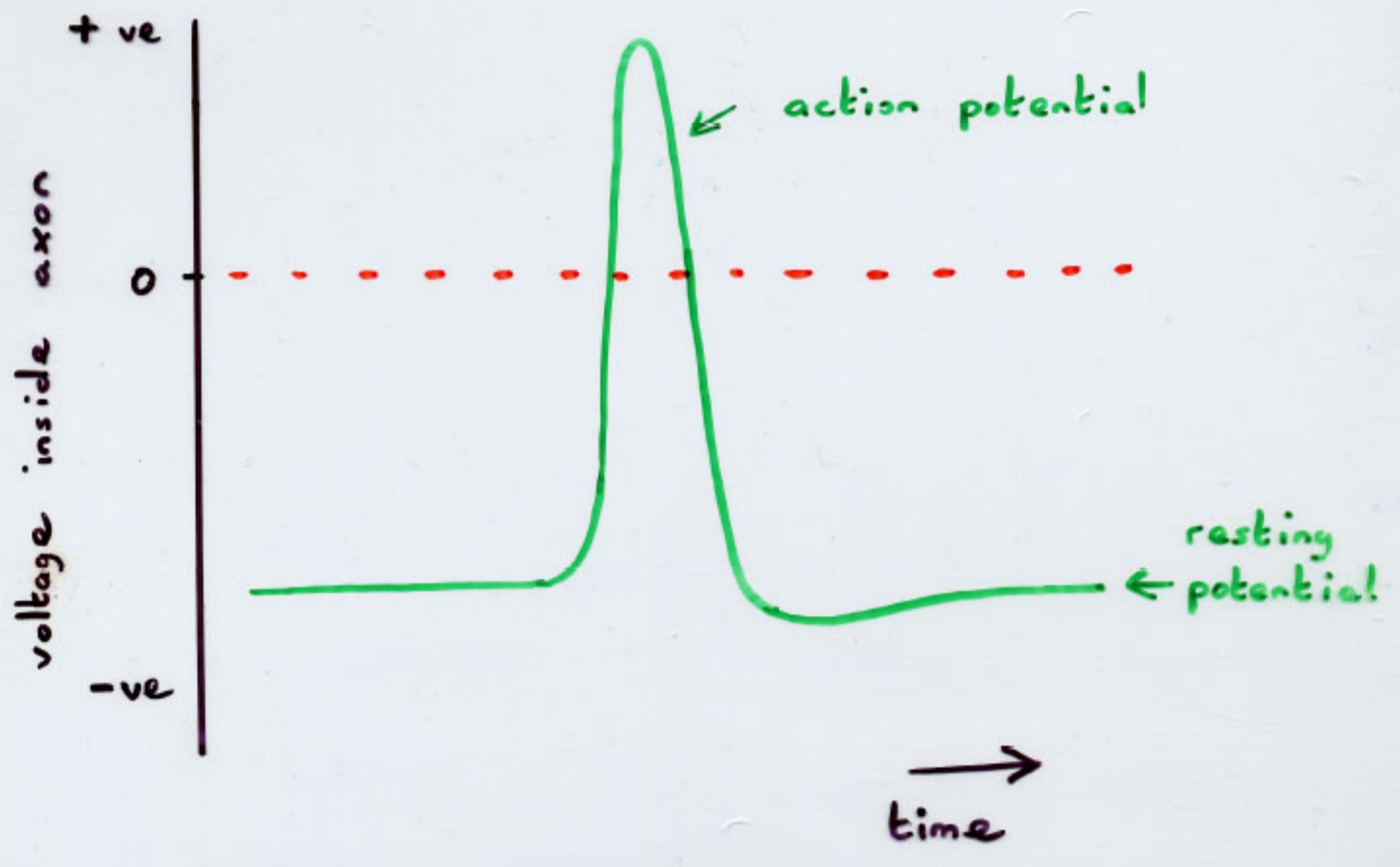


Why?

- ① The axoplasm (a solution of salts) is not a perfect conductor (it has electrical resistance)
- ② The axon membrane is not a perfect insulator
- ③ The axon membrane acts like an electrical capacitor (it 'stores' some electrical charge).

In practice, passive conduction of signals along axons is limited to a few mm (often much less) — not nearly enough.

Axons get around this problem by active transmission — a regenerative signal (action potential) that is actively 'boosted' as it travels along a nerve.



# How ionic movements produce electrical signals

- ① There are differences in concentrations of specific ions across the nerve cell membrane. These concentration gradients are established by **ion pumps**.
- ② **Ion channels** in the membrane allow selective permeability to some of these ions.

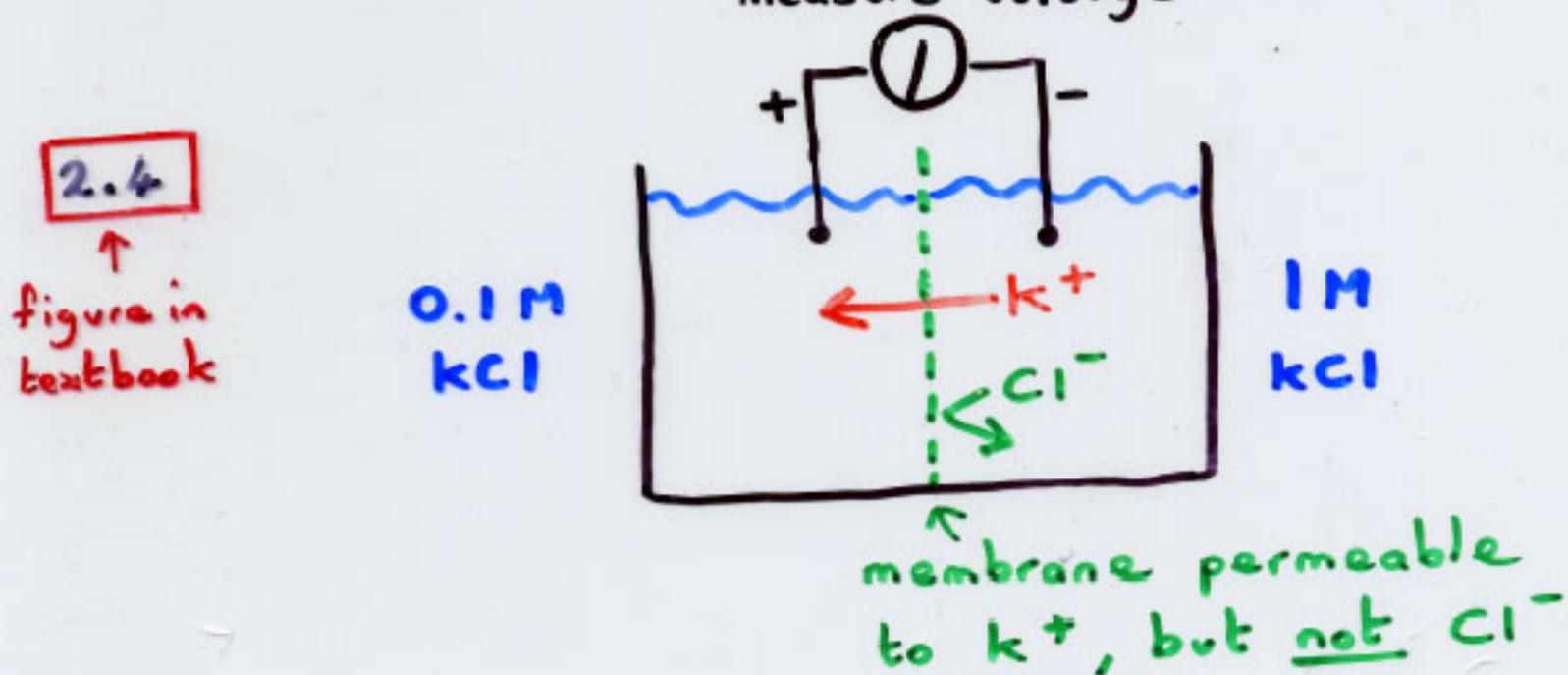
## Analogy —

Concentration gradient	≡	car battery
Ion pumps	≡	alternator
Ion channels	≡	headlight switch

## Diffusion Potentials

The resting potential and the action potential both arise through diffusion potentials — a voltage generated by passive diffusion of ions down a concentration gradient

### Simple example of a diffusion potential



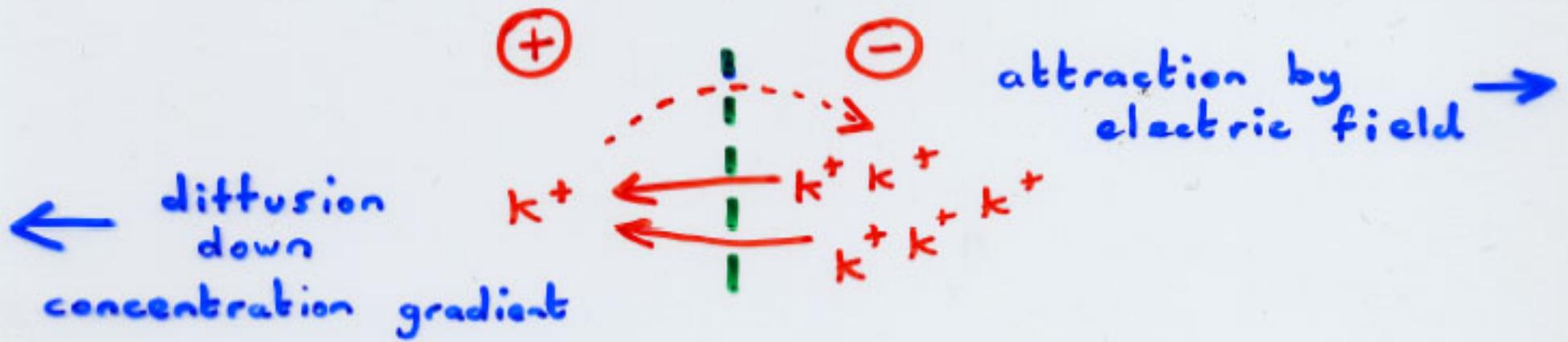
At first instant,  $K^+$  ions will move to left down concentration gradient

$Cl^-$  ions cannot move down gradient, since membrane is impermeable

So, movement of  $K^+$  without corresponding movement of  $Cl^-$  will set up a potential difference — a diffusion potential

But — as this voltage is established, it exerts an opposite force, tending to stop any more  $K^+$  ions from moving.

$K^+$  ions come into equilibrium where chemical driving force (diffusion down concentration gradient) = electrical driving force.



### Equilibrium potential

What is the relation between concentration difference and the resulting diffusion potential?

At equilibrium, work in moving  $K^+$  ion up concentration gradient must equal work in moving against electrical gradient.

given by Nernst Equation

$$E = \frac{RT}{zF} \log_e \frac{[K^+]_{right}}{[K^+]_{left}}$$

Equilibrium potential  $E$   
 gas constant  $R$   
 absolute temp.  $T$   
 valence of ion (1 for  $K^+$ )  $z$   
 Faraday's constant  $F$

for practical purposes we can simplify this;  
 for a monovalent ion at room temperature

$$E = 58 \text{ mV} * \log_{10} \frac{[K^+]_{right}}{[K^+]_{left}}$$

Note

①  $E$  varies logarithmically with ratio of concentrations.

Eg.

$[K]_{right}$	$[K]_{left}$	$E$
1M	100mM	58mV
10M	100mM	116mV
10mM	0.1mM	116mV

Vanishingly few  $K^+$  ions need to move to establish the equilibrium potential (only enough to charge the membrane capacitance).

To a good approximation there is no change in concentrations of ions on either side of the membrane and

$$[+ve\ ions] = [-ve\ ions] \text{ for each side.}$$